## Accounting for Free Choice

Revisiting the challenge for the implicature approach

Lyn Tieu, Cory Bill, and Jacopo Romoli
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## Today

The question: Is Free choice an implicature?

## Today

- Experimental project addressing this question


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- Experimental project addressing this question
- Revisiting and extending a previous study

Overview

## What is free choice? ${ }^{1}$

(1) Angie is allowed to buy the car or the boat.

[^0]
## What is free choice? ${ }^{1}$

(1) Angie is allowed to buy the car or the boat.
$\rightsquigarrow$ Angie can choose between the two

[^1]
## Disappearing under negation

(2) Angie is not allowed to buy the car or the boat.

## Disappearing under negation

(2) Angie is not allowed to buy the car or the boat.
$\neq$ It's not true that Angie can choose between the two

## Disappearing under negation

(2) Angie is not allowed to buy the car or the boat. $\neq$ It's not true that Angie can choose between the two
$\rightsquigarrow$ Angie cannot buy either one

## Two main approaches

1. Implicature based

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1. Implicature based
2. Non-implicature based

## The previous study

- Testing a clear divergent prediction of the two approaches


## The previous study

- Testing a clear divergent prediction of the two approaches
- A challenge for the implicature approach


## The current project

- Revisiting the issue and addressing a potential confound


## The current project

- Revisiting the issue and addressing a potential confound
- Refining and extending the challenge


## The rest of today

1. Background and the two approaches

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2. The divergent prediction

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1. Background and the two approaches
2. The divergent prediction
3. The previous experiment and potential confound

## The rest of today

1. Background and the two approaches
2. The divergent prediction
3. The previous experiment and potential confound
4. The current experiments

## The rest of today

1. Background and the two approaches
2. The divergent prediction
3. The previous experiment and potential confound
4. The current experiments
5. Discussion and conclusion

## Background

## Background

Free choice and double prohibition

## Free choice

(3) Angie is allowed to buy the car or the boat.
$\rightsquigarrow$ Angie can choose between the two

## Under negation

(4) Angie is not allowed to buy the car or the boat. $\neq$ It's not true that Angie can choose between the two
$\rightsquigarrow$ Angie cannot buy either one

## More schematically

(5) $\diamond(A \vee B)$

## More schematically

(5) $\diamond(A \vee B) \rightsquigarrow \diamond A \wedge \diamond B$

FREE CHOICE

## More schematically

(5) $\diamond(A \vee B) \rightsquigarrow \diamond A \wedge \diamond B$

FREE CHOICE
(6) $\neg \diamond(A \vee B) \rightsquigarrow \neg \diamond A \wedge \neg \diamond B$

## More schematically

(5) $\diamond(A \vee B) \rightsquigarrow \diamond A \wedge \diamond B$

FREE CHOICE
(6) $\quad \neg \diamond(A \vee B) \rightsquigarrow \neg \diamond A \wedge \neg \diamond B$

## The empirical puzzle

- How free choice arises in positive contexts


## The empirical puzzle

- How free choice arises in positive contexts
- How double prohibition arises in negative contexts


## Two main approaches

1. Implicature based
2. Non-implicature based

## Background

The implicature approach

## The implicature approach ${ }^{2}$

- Free choice is an implicature

[^2]
## The implicature approach ${ }^{2}$

- Free choice is an implicature
- Double prohibition is just part of the literal meaning

[^3]
## The implicature approach: the gist

(7) $\quad \diamond(A \vee B)=\diamond A \vee \diamond B$

## The implicature approach: the gist

(7) $\quad \diamond(A \vee B)=\diamond A \vee \diamond B$

LITERAL MEANING
(8) $\quad \neg \diamond(A \vee B)=\neg \diamond A \wedge \neg \diamond B$

## The implicature approach: the gist

(7) $\quad \diamond(A \vee B)=\diamond A \vee \diamond B$
(8) $\quad \neg \diamond(A \vee B)=\neg \diamond A \wedge \neg \diamond B$

LITERAL MEANING

DOUBLE PROHIB
(9) $\operatorname{ExH}[\diamond(A \vee B)]=\diamond A \wedge \diamond B$

## The implicature approach: the gist

(7) $\quad \diamond(A \vee B)=\diamond A \vee \diamond B$
(8) $\quad \neg \diamond(A \vee B)=\neg \diamond A \wedge \neg\rangle B$
(9) $\operatorname{ExH}[\diamond(A \vee B)]=\diamond A \wedge\rangle B$
(10) $\left.\left.\left.\quad *_{\neg \operatorname{ExH}}\right\rangle(A \vee B)\right)=\neg \diamond A \vee \neg\right\rangle B$

LITERAL MEANING

DOUBLE PROHIB

FREE CHOICE

NEGATED FREE CHOICE

- Free choice arises as an implicature
- Double prohibition is just part of the literal meaning


## Background

The non-implicature approach

## The homogeneity approach: the gist ${ }^{3}$

- Free choice is just part of the literal meaning

[^4]
## The homogeneity approach: the gist ${ }^{3}$

- Free choice is just part of the literal meaning
- Double prohibition arises via homogeneity

[^5]
## The homogeneity approach: the gist

(11) $\quad \diamond(A \vee B)=\diamond A \wedge \diamond B$

FREE CHOICE

## The homogeneity approach: the gist

(11) $\quad \diamond(A \vee B)=\diamond A \wedge \diamond B$
(12) $\quad \diamond A \leftrightarrow \diamond B$

FREE CHOICE

HOMOGENEITY

## The homogeneity approach: the gist

(11) $\quad \diamond(A \vee B)=\diamond A \wedge \diamond B$
(12) $\quad \diamond A \leftrightarrow \diamond B$
(13) $\quad \neg \diamond(A \vee B)=\neg(\diamond A \wedge \diamond B)$

FREE CHOICE

HOMOGENEITY

NEGATED FREE CHOICE

## The homogeneity approach: the gist

(14) $\quad \diamond(A \vee B)=\diamond A \wedge \diamond B$
(15) $\quad \diamond A \leftrightarrow \diamond B$
(16) $\quad \neg \diamond(A \vee B)=\neg(\diamond A \wedge \diamond B)$

FREE CHOICE

HOMOGENEITY

NEGATED FREE CHOICE

## The homogeneity approach: the gist

(14) $\quad \diamond(A \vee B)=\diamond A \wedge \diamond B$
(15) $\quad \diamond A \leftrightarrow \diamond B$
(16) $\quad \neg \diamond(A \vee B)=\neg(\diamond A \wedge \diamond B)$
(17) $\quad \neg \diamond \mathrm{A} \wedge \neg \diamond \mathrm{B}$

FREE CHOICE

HOMOGENEITY

NEGATED FREE CHOICE

DOUBLE PROHIB

- Free choice is just part of the literal meaning
- Double prohibition arises via the homogeneity presupposition

Predictions

## The two approaches

- Successfully capture basic pattern and more complex data


## A simple divergent prediction ${ }^{4}$

Distinguish between the two given a simple divergent prediction

[^6]
## Free choice vs. double prohibition

(18) Angie is allowed to buy the car or the boat
$\rightsquigarrow$ Angie can choose between the two
FREE CHOICE
(19) Angie is not allowed to buy the car or the boat
$\rightsquigarrow$ Angie cannot buy either one
DOUBLE PROHIB

## The implicature approach

(20) Angie is allowed to buy the car or the boat
$\rightsquigarrow$ Angie can choose between the two
IMPLICATURE

## The implicature approach

(20) Angie is allowed to buy the car or the boat $\rightsquigarrow$ Angie can choose between the two

IMPLICATURE
(21) Angie is not allowed to buy the car or the boat
$\rightsquigarrow$ Angie cannot buy either one
LITERAL MEANING

## The homogeneity approach

(22) Angie is allowed to buy the car or the boat $\rightsquigarrow$ Angie can choose between the two

## The homogeneity approach

(22) Angie is allowed to buy the car or the boat $\rightsquigarrow$ Angie can choose between the two
(23) Angie is not allowed to buy the car or the boat
$\rightsquigarrow$ Angie cannot buy either one
(VIA) PRESUPPOSITION

## The homogeneity approach

(24) Angie is allowed to buy the car or the boat $\rightsquigarrow$ Angie can buy one iff she can buy the other PRES
(25) Angie is not allowed to buy the car or the boat $\rightsquigarrow$ Angie can buy one iff she can buy the other

## Difference in status

Context: Angie is only allowed to buy the boat

## Difference in status

Context: Angie is only allowed to buy the boat
(26) Angie is allowed to buy the car or the boat $\rightsquigarrow$ Angie can choose between the two FALSE IMP

## Difference in status

Context: Angie is only allowed to buy the boat
(27) Angie is not allowed to buy the car or the boat
$\rightsquigarrow$ Angie cannot buy either one
FALSE

## No difference in status

Context: Angie is only allowed to buy the boat
(28) Angie is allowed to buy the car or the boat
$\rightsquigarrow$ Angie can buy one iff she can buy the other
PS FAIL

## No difference in status

Context: Angie is only allowed to buy the boat
(29) Angie is not allowed to buy the car or the boat $\rightsquigarrow$ Angie can buy one iff she can buy the other

PS FAIL

|  | IMPLICATURE | HOMOGENEITY |
| :--- | :--- | :--- |
| POS | IMPLICATURE VIOLATION | PRESUPPOSITION FAILURE |
| NEG | FALSITY | PRESUPPOSITION FAILURE |


|  | IMPLICATURE | HOMOGENEITY |
| :--- | :--- | :--- |
| POS | IMPLICATURE VIOLATION | PRESUPPOSITION FAILURE |
| NEG | FALSITY | PRESUPPOSITION FAILURE |

- Testing these predictions
- Testing these predictions
- A simple way to distinguish between the two approaches

Previous study

## Previous study

- Tieu, Bill \& Romoli (2019) tested the divergent predictions of the two approaches to free choice
- Compared FC disjunction to plain disjunction as an implicature baseline
(30) Angie is allowed / not allowed to buy the car or the boat.
(31) Angie bought / didn't buy the car or the boat.


## Implicature baseline: Plain disjunction

(32) Angie bought the car or the boat.
$\rightsquigarrow$ Angie didn't buy both the car and the boat
(33) Angie didn't buy the car or the boat.
$\rightsquigarrow$ Angie didn't buy either

## Experimental set-up

- Guessing game: characters are shopping at the store
- FC: Mom has set some rules about what each kid is allowed or not allowed to buy
- Puppet makes a guess about:
- What the character is allowed/not allowed to buy (FC)
- What the character will/will not buy (OR)


## Procedure

- Read a puppet's guess before seeing a picture of the outcome
- Ternary judgment task: evaluate the puppet's guess against the outcome, ${ }^{5}$ by choosing the appropriate reward given the puppet's statement


[^7]
## Sample target - FC, positive

It's Angie's turn to go to the store.
Raffie, can you guess what the rule for Angie is?

"Angie is allowed to buy the car or the boat."

## Sample target - FC, positive

"Angie is allowed to buy the car or the boat."


Which strawberry should we give Raffie?


## Predictions - Disjunction


(34) Angie will buy the car or the boat

(35) Angie will not buy the car or the boat


## Predictions - FC (Implicature approach)


(36) Angie is allowed to buy the car or the boat

(37) Angie is not allowed to buy the car or the boat


## Predictions - FC (Homogeneity approach)


(38) Angie is allowed to buy the car or the boat

(39) Angie isn't allowed to buy the car or the boat


## Predictions - FC (Homogeneity approach)


(40) Angie is allowed to buy the car or the boat

(41) Angie isn't allowed to buy the car or the boat


## In sum - Predictions

- An interaction between inference type (FC vs. OR) and polarity (positive vs. negative) would be challenging for the implicature approach but in line with the homogeneity approach

|  | OR | FC IMP | FC HOM |
| :--- | :--- | :--- | :--- |
| POS | IMP FALSE | IMP FALSE | PS FAIL |
| NEG | FALSE | FALSE | PS FAIL |

## Main findings

- Symmetric responses for positive and negative FC
- Difference between positive and negative OR - distinction between IMP FALSE and plainly FALSE
- Interaction between inference type and polarity - challenging for implicature approach, in line with homogeneity approach



## A potential confound

- Intermediate responses to FC in line with homogeneity account
- But could also be due to a charitable response strategy: the puppet mentioned two things, and turned out to be right about one of them (cf. true and false controls, where the puppet is right about both objects or wrong about both objects)
- Participants might be tempted to offer the puppet a medium strawberry for being 'partially right'


## FC targets - Partially right?


(42) Angie is allowed to buy the car or the boat.
(43) Angie is not allowed to buy the car or the boat.


## Strategy would not extend to OR targets


(44) Angie bought the car or the boat
(45) Angie didn't buy the car or the boat

## The present study

## The present study

Experiment 1: Free choice vs conjunction

## Exp.1: Testing the charitability strategy

- Symmetric intermediate responses to FC in line with homogeneity account, but could also arise from a charitability strategy
- Compare to a control where the same charitable strategy is plausible, but there is no undefinedness at play - plain conjunctions
- FC condition was the same as in previous experiment


## Sample Conjunction target, positive

It's Angie's turn to go to the store. Raffie, can you guess what will happen?

"Angie will buy the car and the boat."

## Sample Conjunction target, positive

"Angie will buy the car and the boat."


Which strawberry should we give Raffie?


## Exp.1: Predictions — No Charitability strategy

- An effect of coordination type (FC disjunction vs. conjunction)
- Replicate intermediate judgments for positive and negative FC
- Minimal rewards for positive conjunction targets, which are false
- Minimal/maximal rewards for negative conjunction targets ${ }^{6}$

[^8]
## Exp.1: Predictions — Charitability strategy

- No effect of coordination type (FC disjunction vs. conjunction)
- Replicate intermediate rewards for positive and negative FC
- Intermediate rewards for positive and negative conjunction targets


## Exp.1: Key findings

- No effect of condition ${ }^{7}$
- Replicated symmetric responses to FC - but same behaviour in response to conjunction targets
- Consistent with charitability strategy


[^9]
## Discussion

- Exp. 1 supports presence of a potential confound
- FC findings could be attributed not to presupposition failure, but rather to a charitable response strategy
- Coordinate structure in particular might encourage participants to reward the puppet for being 'partially right'


## Next step: free choice indefinites

- Both approaches can be and have been extended to free choice indefinites ${ }^{8}$
(46) Angie can buy any of the items on the table
- Can extend our experimental design to the FC indefinite, probing for (a)symmetry across the polarities

[^10]
## The present study

## Experiment 2: Free choice 'any’

## Exp.2: Free choice 'any' - implicature or homogeneity?

- Instead of comparing FC disjunction to an implicature baseline, compare FC 'any' to an implicature baseline
- Would ideally compare to 'some', but would not be able to include negative polarity due to PPI status
- Compared to indirect scalar implicature of 'not every'


## Same predictions as before

- An interaction between inference type (FC 'any' vs. ISI 'not every') and status (IMP FALSE vs. FALSE) would be challenging for the implicature approach but in line with the homogeneity approach

| ISI 'not every' | FC 'ANY' IMP | FC 'ANY' HOM |
| :---: | :---: | :---: |
| IMP FALSE | IMP FALSE | PS FAIL |
| FALSE | FALSE | PS FAIL |

## Sample 'any' target, implicature-false

Angie is going to the store.
Raffie, what's the rule for Angie?

"Angie is allowed to buy any item."

## Sample 'any' target, implicature-false

"Angie is allowed to buy any item."


Which strawberry should we give Raffie?


## Sample 'not every' target, implicature-false

Angie went to the store.
Raffie, what happened at the store?

"Angie didn't buy every item."

## Sample 'not every' target, implicature-false

"Angie didn't buy every item."


Which strawberry should we give Raffie?


## Exp.2: Main finding

- Significant interaction between inference type (FC vs. ISI) and status (IMP FALSE vs. FALSE)
- Consistent with earlier experiment, new data challenging for implicature account but in line with homogeneity account



## General discussion

## Summary

- Set out to experimentally address debate between implicature and non-implicature approaches to free choice
- Previous findings challenged implicature approach - but associated with confound
- Exp. 1 included plain conjunctions and confirmed potential confound
- Exp. 2 compared FC indefinite with (indirect) implicature baseline


## Where we are now

- Exp.2, as in earlier experiment, revealed asymmetry between free choice and implicature baseline - parallel responses to positive and negative FC, unlike indirect scalar implicature baseline
- As before, challenge for implicature approach to free choice
- As before, in line with homogeneity approach


## Conclusion

- Methodological point about what we can conclude from intermediate choices
- With appropriate comparison points, remains a powerful perspective to address current debate
- Can extend to various other inferences, e.g., plural definites, bare plurals, neg-raising, conditionals, ...


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Appendix

## Appendix

True and false controls in TBR (2019)

## True control - Completely right


(47) Angie is allowed to buy the car or the boat.


## False control - Completely wrong


(48) Angie is allowed to buy the car or the boat.


## Appendix

## Exp. 1 Methods

## Exp.1: Methods

- Participants
- 38 participants ( 20 free choice, 18 Conjunction), recruited through AMT ${ }^{9}$
- Materials
- 8 targets (4 positive, 4 negative)
- 8 controls (4 clearly true/false positive, 4 clearly true/false negative)
- 6 fillers (exhaustivity implicature)

[^11]
## Appendix

## Exp. 2 Methods

## Exp.2: Methods

- Participants
- 27 participants ( 13 ANY, 14 EVERY), recruited through AMT ${ }^{10}$
- FC materials
- 8 targets (4 imp false, 4 false)
- 8 controls (4 clearly true/false positive, 4 clearly true/false negative)
- 6 fillers (some-not-all implicature)
- ISI materials
- 4 targets ( 2 Imp false, 2 false)
- 12 controls ( 8 clearly true/false positive, 4 clearly true/false negative)
- 6 fillers (some-not-all implicature)

[^12]
## Appendix

Previous study: Example trials

## Sample FC target, positive

"Angie is allowed to buy the car or the boat."


Which strawberry should we give Raffie?


## Sample FC target, negative

"Angie is not allowed to buy the car or the boat."


Which strawberry should we give Raffie?


## Sample OR target, positive

"Angie will buy the car or the boat."


Which strawberry should we give Raffie?


## Sample OR target, negative

"Angie will not buy the car or the boat."


Which strawberry should we give Raffie?


## Appendix

## Exp.1: Example trials

## Sample Conjunction target, positive

"Angie will buy the car and the boat."


Which strawberry should we give Raffie?


## Sample Conjunction target, negative

"Angie will not buy the car and the boat."


Which strawberry should we give Raffie?


## Sample FC true control, positive

"Angie is allowed to buy the car or the boat."


Which strawberry should we give Raffie?


## Sample FC false control, positive

"Angie is allowed to buy the car or the train."


Which strawberry should we give Raffie?


## Sample FC true control, negative

"Angie is not allowed to buy the car or the train."


Which strawberry should we give Raffie?


## Sample FC false control, negative

"Angie is not allowed to buy the car or the boat."


Which strawberry should we give Raffie?


## Sample filler

"Angie is allowed to buy the boat."


Which strawberry should we give Raffie?


## Appendix

## Exp.2: Example trials

## Sample 'any' target, implicature-false

"Angie is allowed to buy any item."


Which strawberry should we give Raffie?


## Sample 'any' target, plainly false

"Angie is not allowed to buy any item."


Which strawberry should we give Raffie?


## Sample 'not every' target, implicature-false

"Angie didn't buy every item."


Which strawberry should we give Raffie?


## Sample 'not every' target, plainly false

"Angie didn't buy every item."


Which strawberry should we give Raffie?



[^0]:    ${ }^{1}$ von Wright 1968, Kamp 1974

[^1]:    ${ }^{1}$ von Wright 1968, Kamp 1974

[^2]:    ${ }^{2}$ Fox 2007, Klinedinst 2006, Chierchia 2013, Chemla 2010, Franke 2013, Santorio \& Romoli 2018, Bar-Lev \& Fox 2017 a.o

[^3]:    ${ }^{2}$ Fox 2007, Klinedinst 2006, Chierchia 2013, Chemla 2010, Franke 2013, Santorio \& Romoli 2018, Bar-Lev \& Fox 2017 a.o

[^4]:    ${ }^{3}$ Goldstein 2018, Rothschild and Yablo 2018

[^5]:    ${ }^{3}$ Goldstein 2018, Rothschild and Yablo 2018

[^6]:    ${ }^{4}$ Križ 2015, 2017; Tieu, Bill, Romoli \& Crain 2020

[^7]:    ${ }^{5}$ Already used in previous work on implicatures, presuppositions, and homogeneity, see Katsos and Bishop 2011, Abrusan and Szendroi 2013, Križ \& Chemla 2016, Tieu, Križ \& Chemla 2019

[^8]:    ${ }^{6}$ True if neg>conjunction and false if conjunction<neg

[^9]:    738 participants ( 20 FREE CHOICE, 18 CONJUNCTION)

[^10]:    ${ }^{8}$ e.g. Chierchia 2004, 2013; Aloni 2007

[^11]:    ${ }^{9}$ after excluding 44 participants for failing to score at least $75 \%$ accuracy on unambiguous controls

[^12]:    ${ }^{10}$ after excluding 9 participants for failing to score at least $75 \%$ accuracy on unambiguous controls

